

# Temperature and Heat Flux Errors Associated with Thin Film Thermometry

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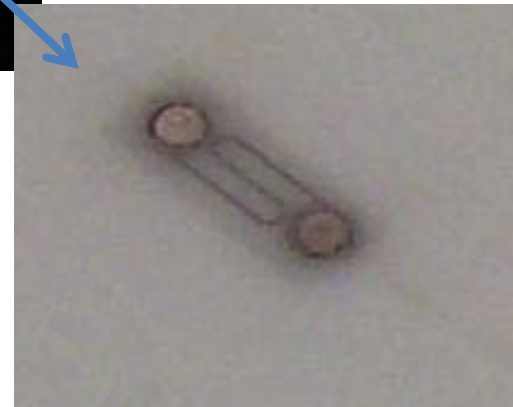
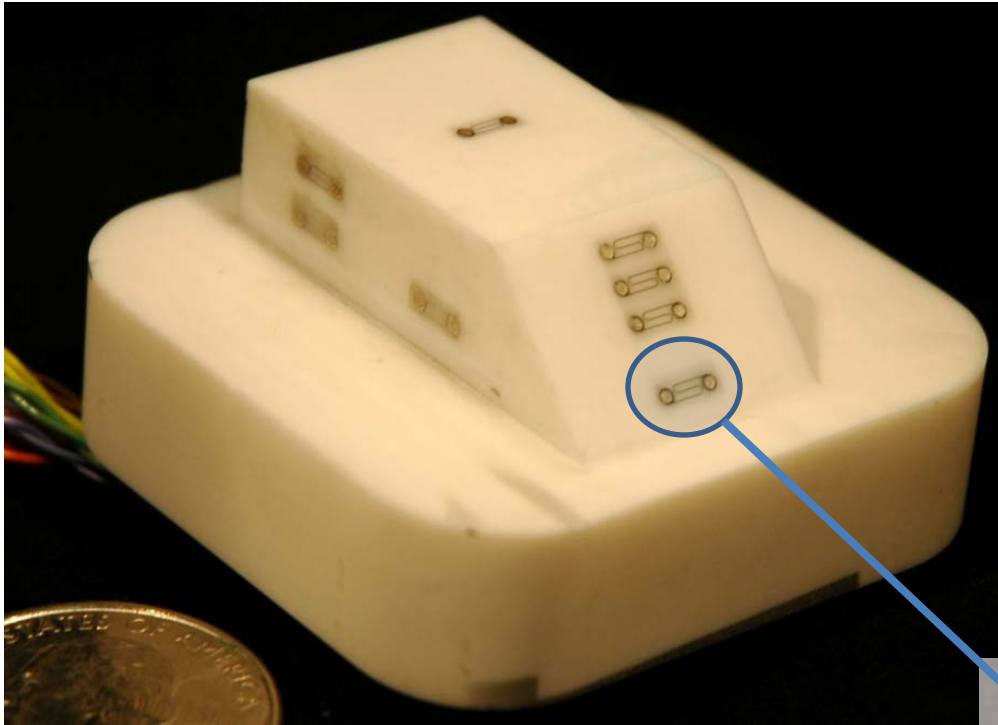


# Platinum Resistance Thermometers

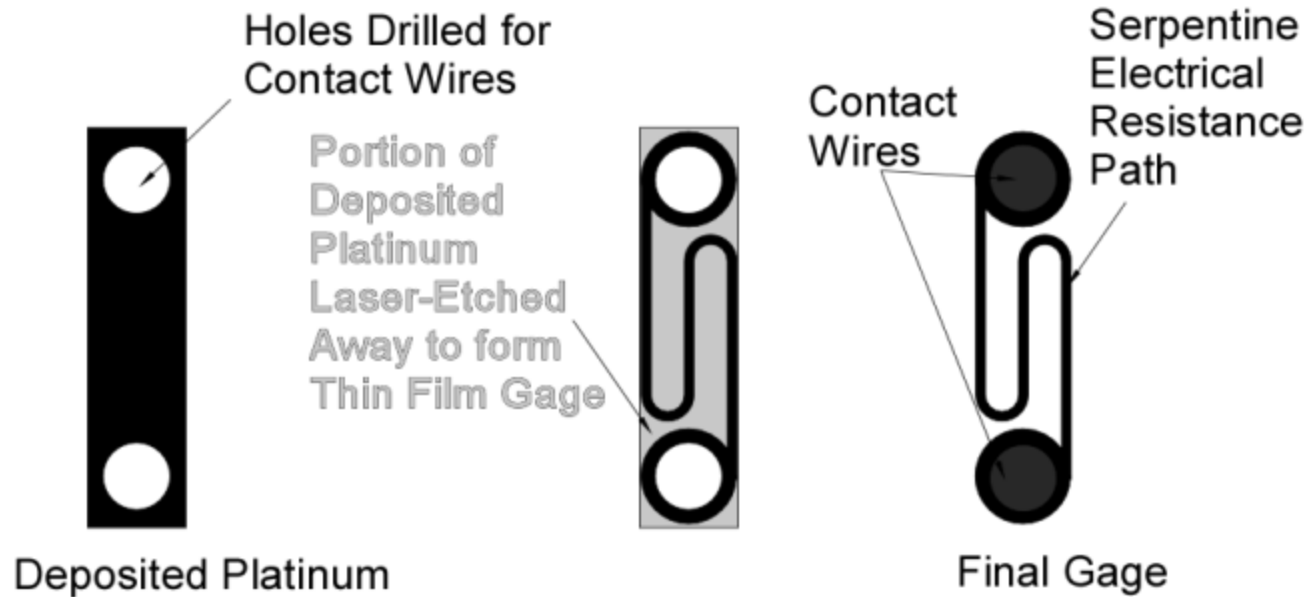
- Platinum resistance thin film sensors are frequently used in wind tunnel experiments to measure surface temperatures and subsequently calculate surface heat fluxes



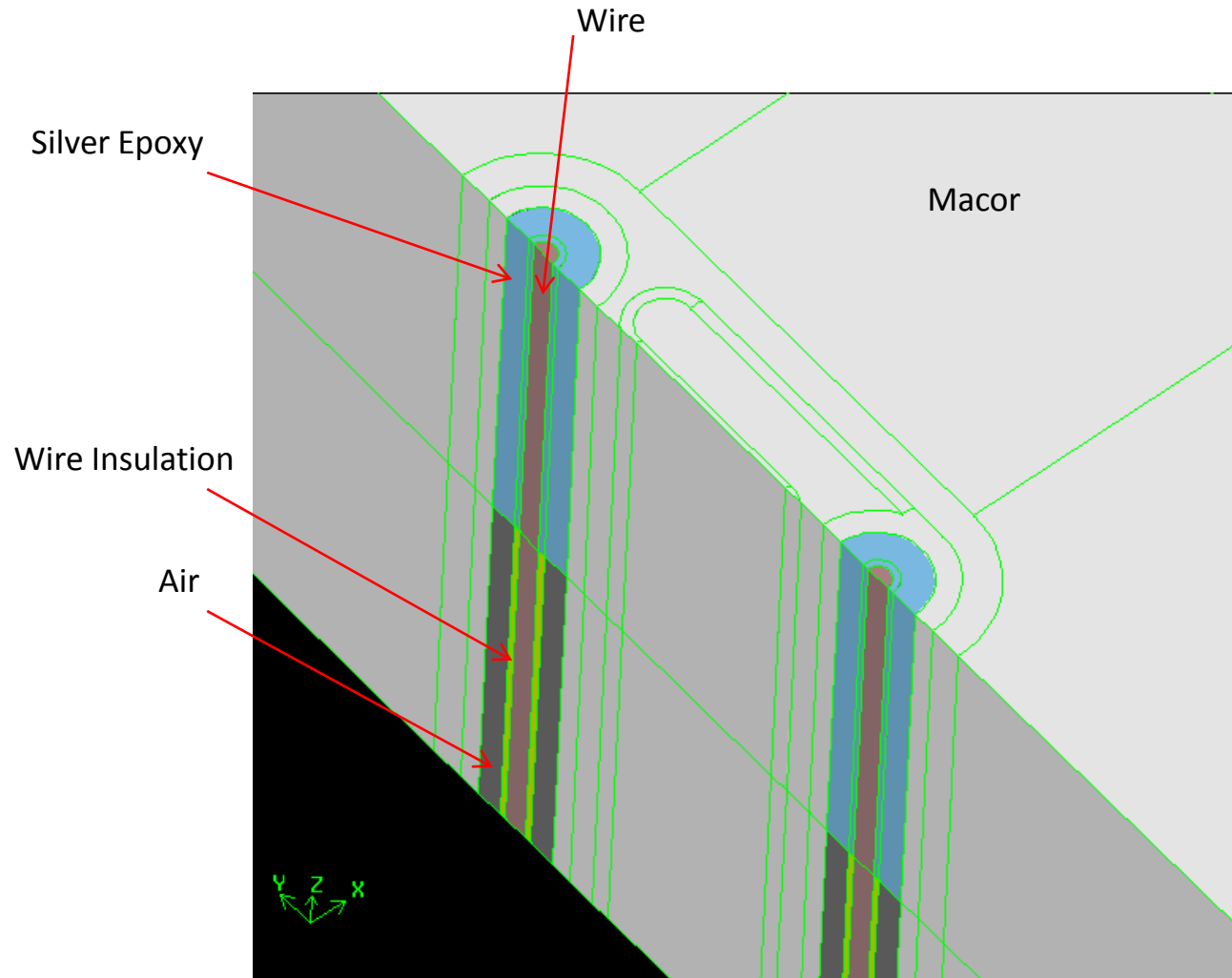
# Hypothetical Installation



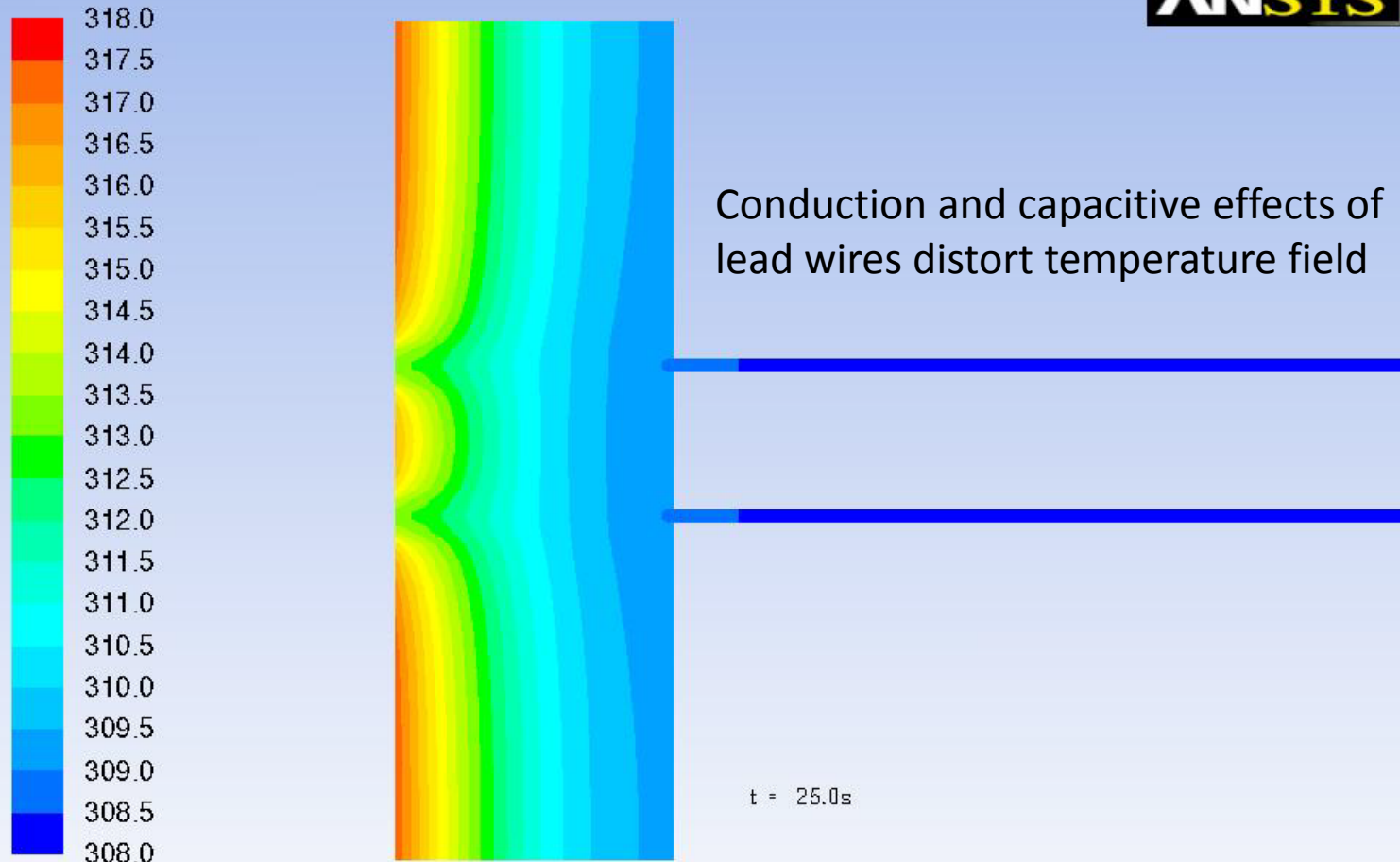
# Sensor Construction



# Thin Film Sensor Model - Construction



# Temperature Field - Split View

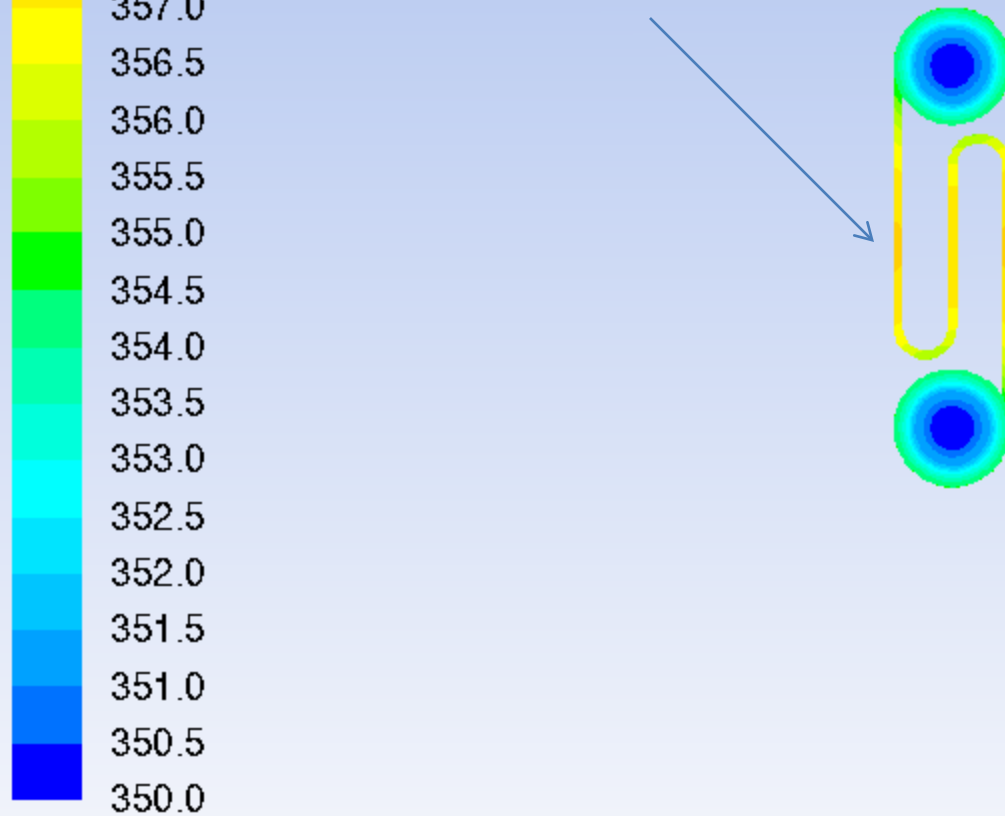


Contours of Static Temperature (k)

Jan 26, 2010  
ANSYS FLUENT 12.0 (3d, pbns, lam)

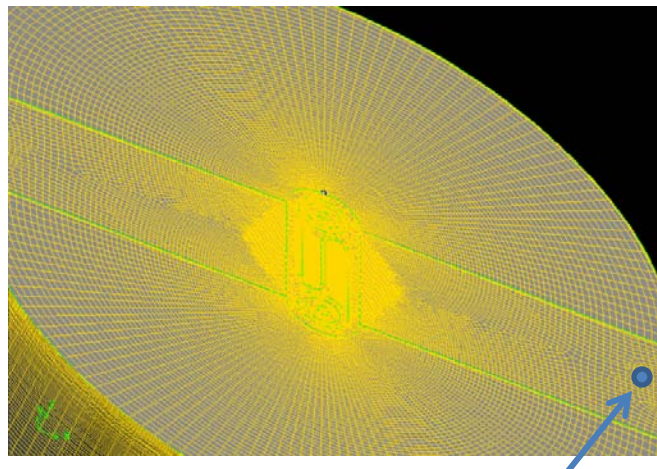


“Measured” temperature will be the average temperature of the serpentine platinum film



# Error

- Sensor measurements differ from undisturbed temperature
- Computational Fluent model created to demonstrate and investigate existence of an error

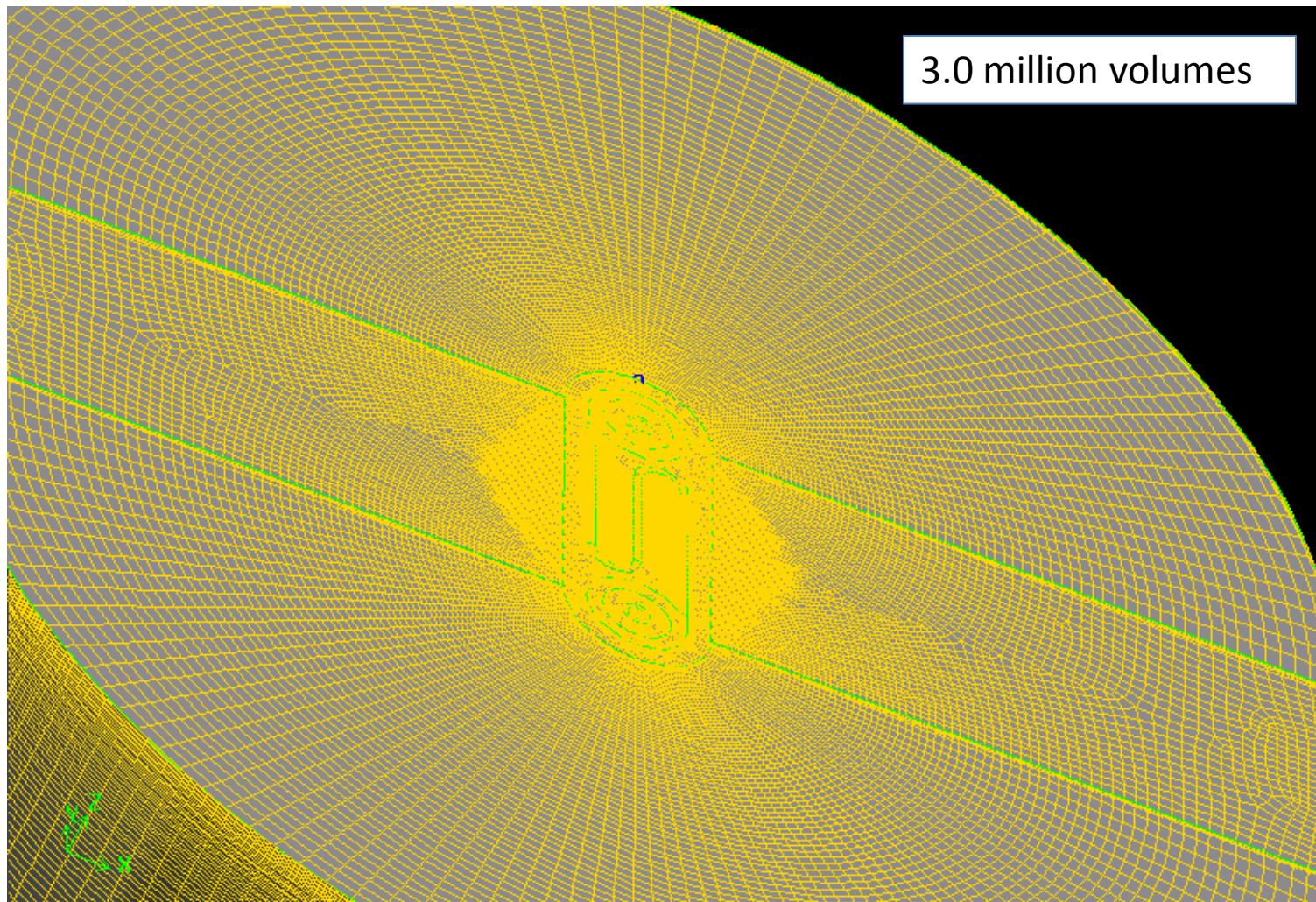


"Undisturbed" temperature

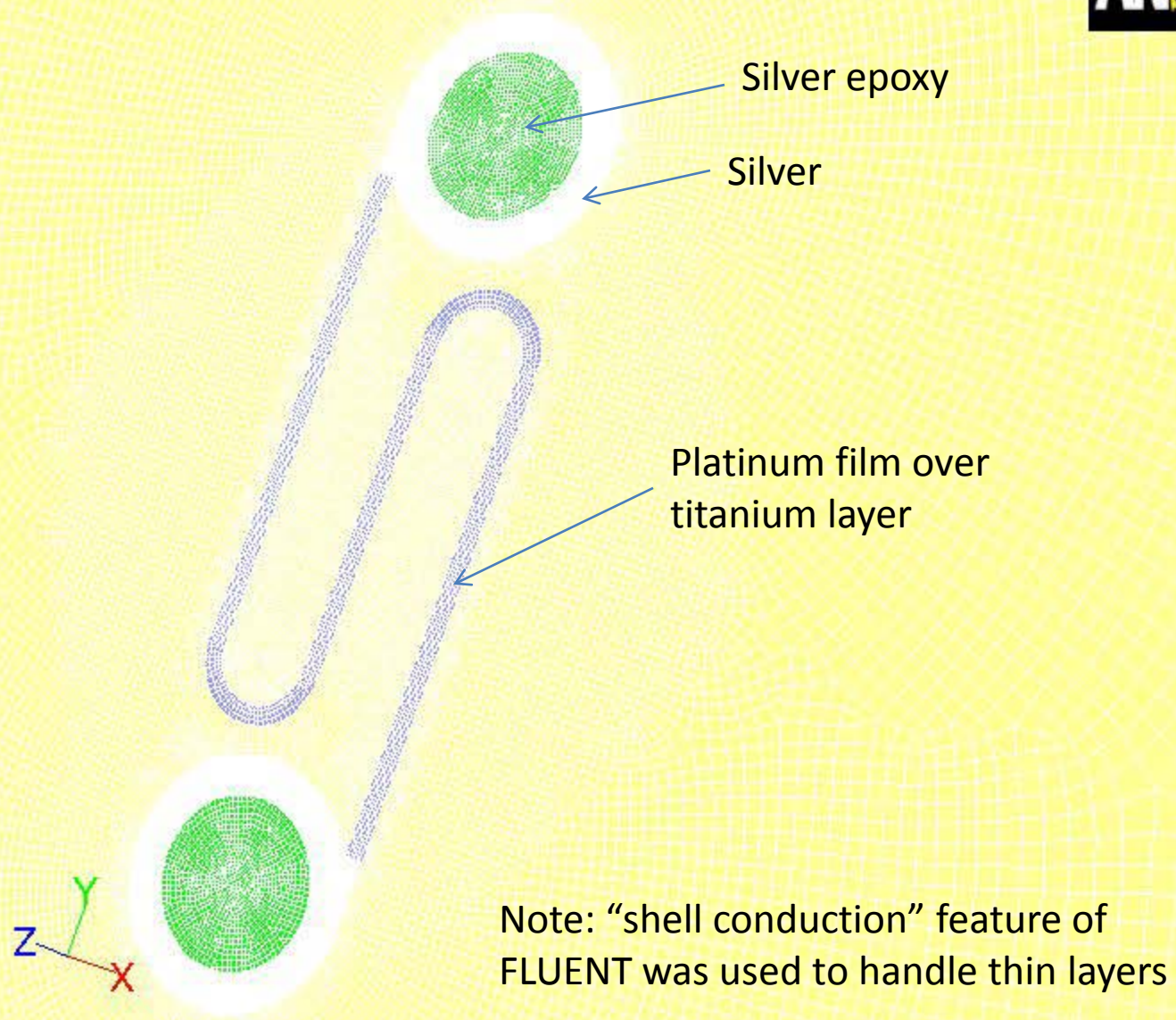




# Sensor Grid





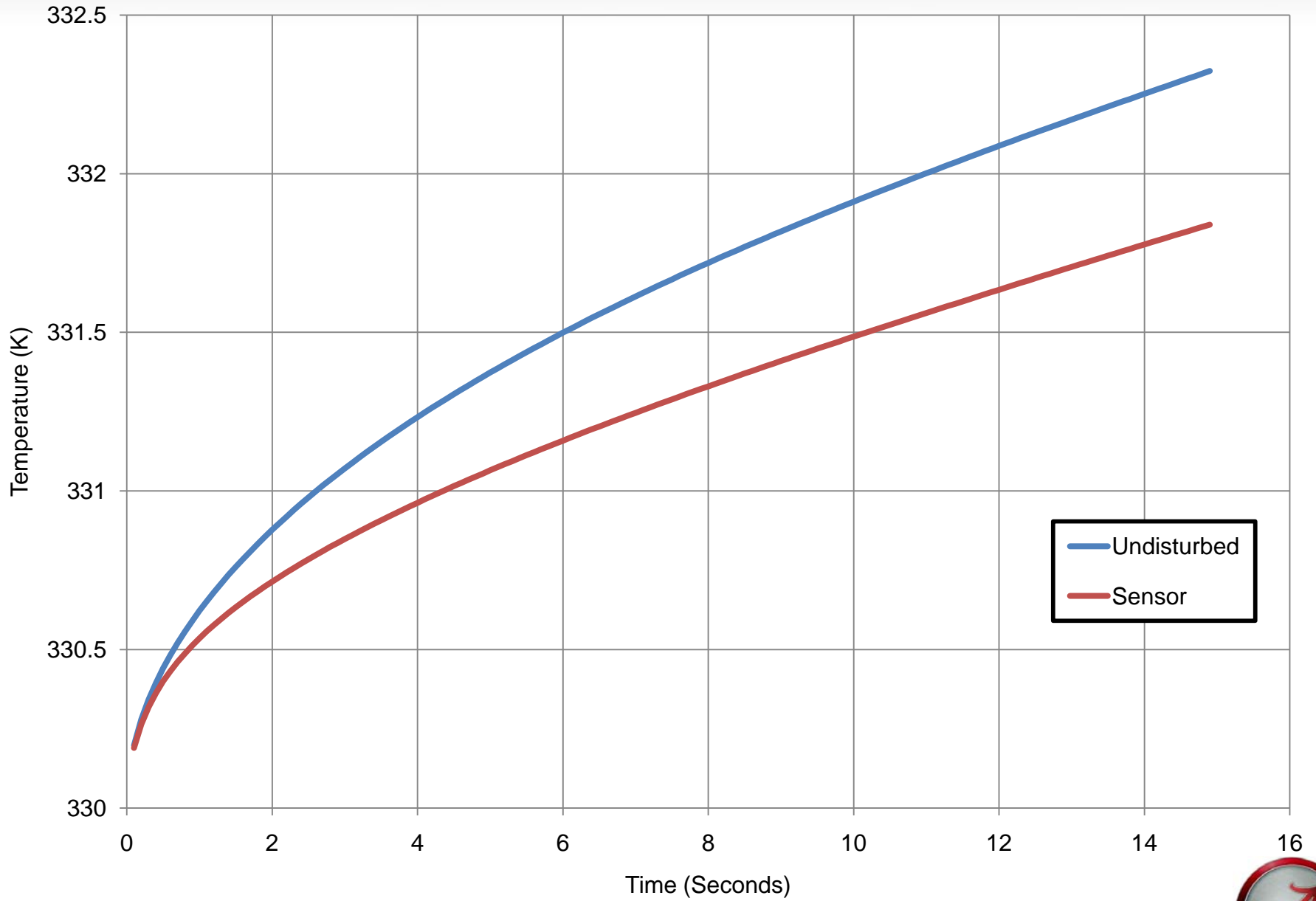


# Demonstration of Temperature Error

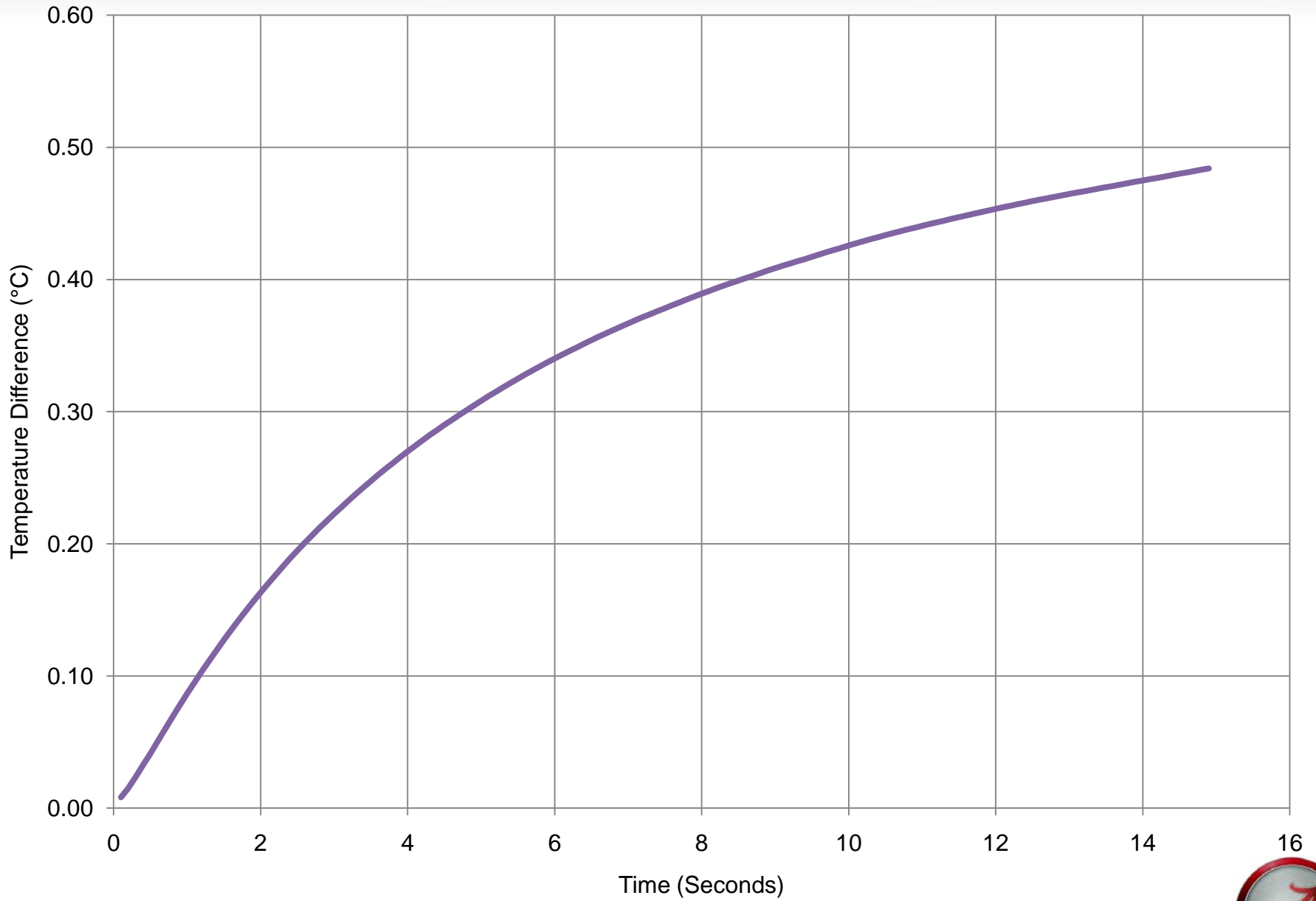
- Apply constant heat flux  $q_m = 1000 \text{ W/m}^2$
- Compare sensor response to undisturbed response



Recorded Temperature (Constant Heat Flux Case)



Temperature Difference (Constant Heat Flux Case)



# Corresponding Heat Flux Error

- Calculating heat flux at gage location
  - Cook Feldman Algorithm
    - Common method to compute heat flux from surface temperature measurement
  - Beck's Method
    - Also can be applied and has some advantage to address the sensor error



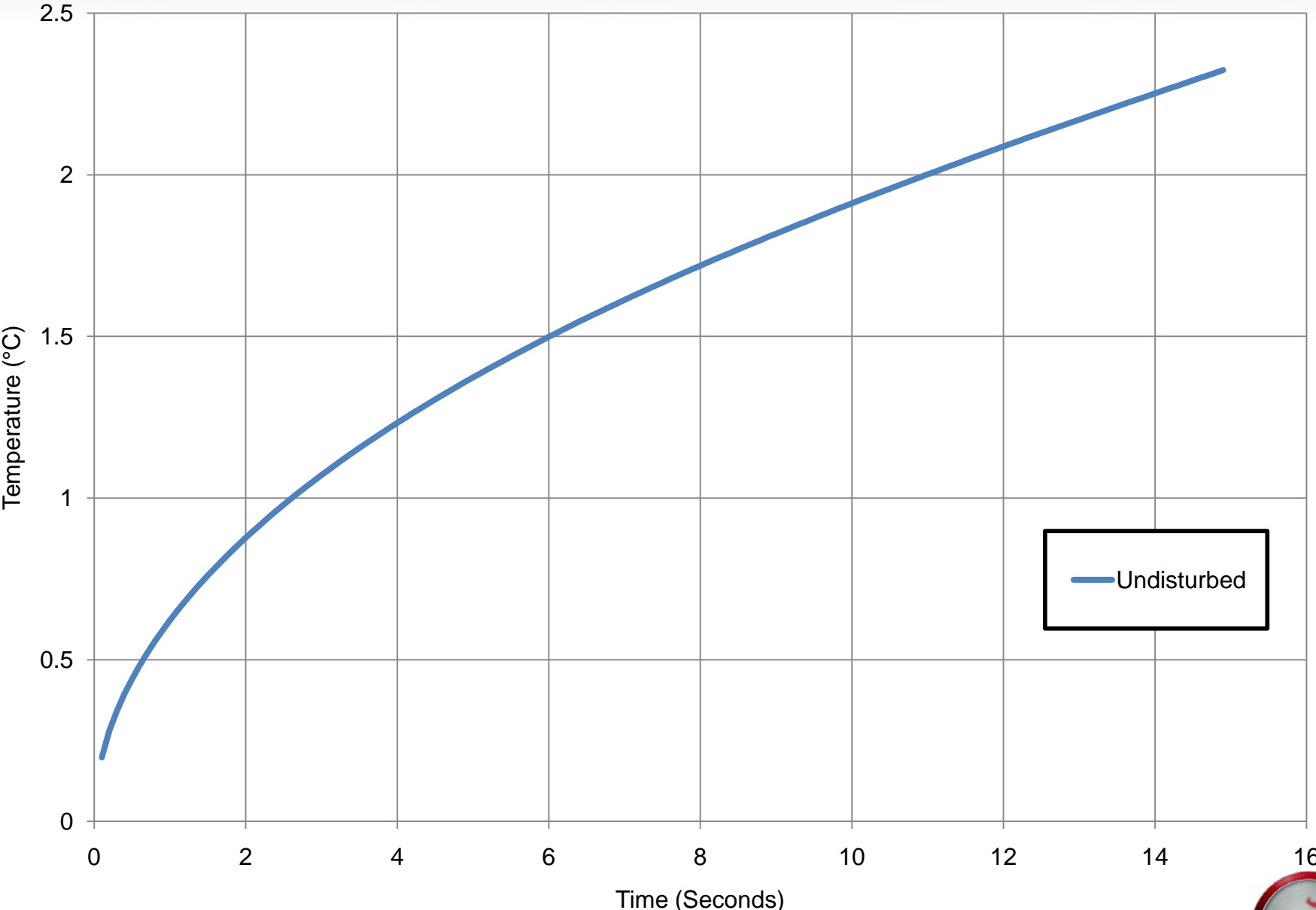
# Sensitivity Coefficients

- Constant Heat Flux Case
  - Use results from Fluent simulation with constant heat flux
  - Determined “standard” sensitivity coefficients,  $\phi$ , for the undisturbed location

$$\phi = \left. \frac{\partial T_m}{\partial q_m} \right|_{q_m = \text{const}}$$



"Standard" Sensivity Coefficients



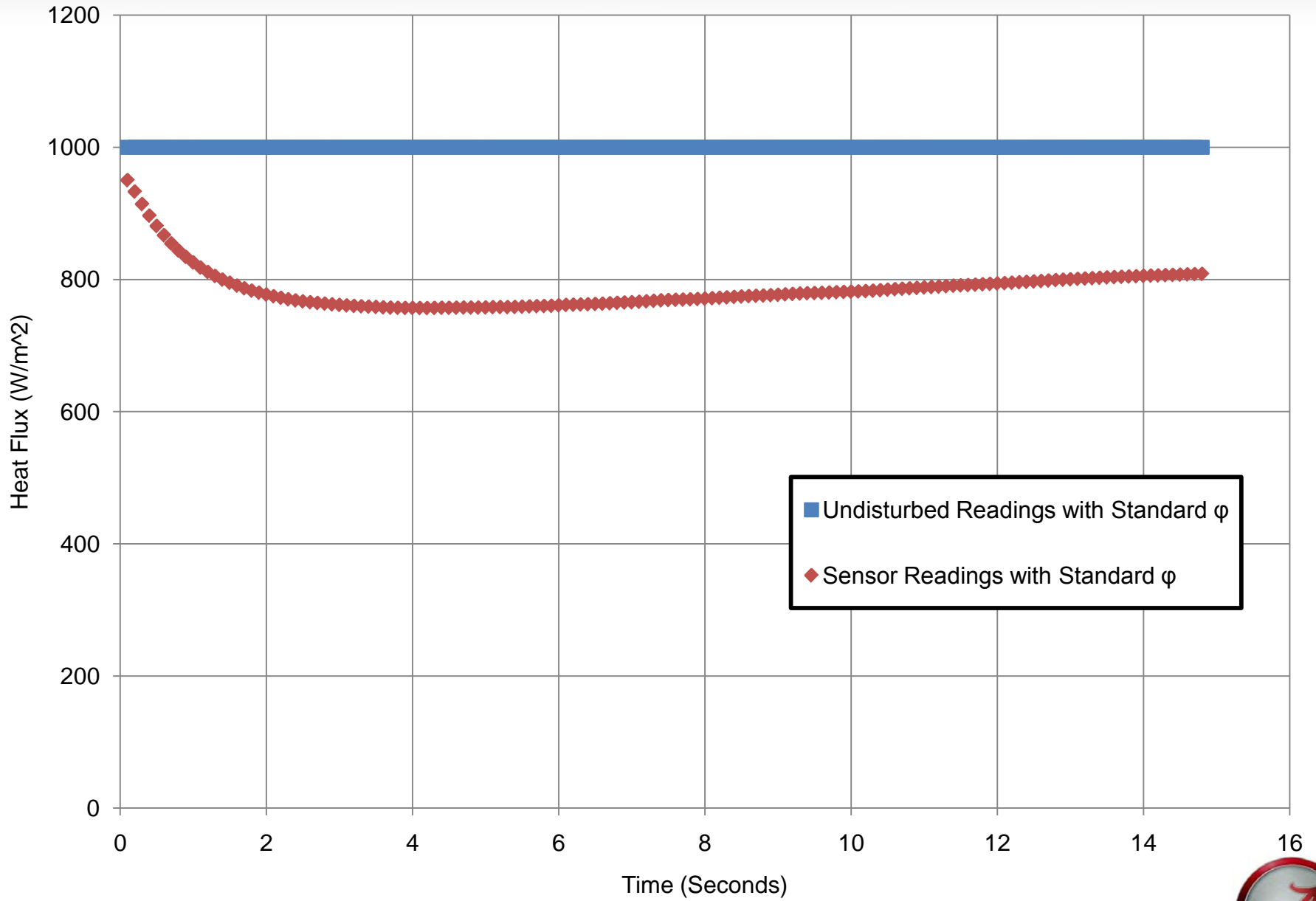


# Surface Heat Flux

- Use the “standard” sensitivity coefficients and superposition/convolution to compute surface heat flux using:
  - “undisturbed” temperature measurements
  - Sensor temperature measurements



# Beck's Method (Constant Heat Flux Case)

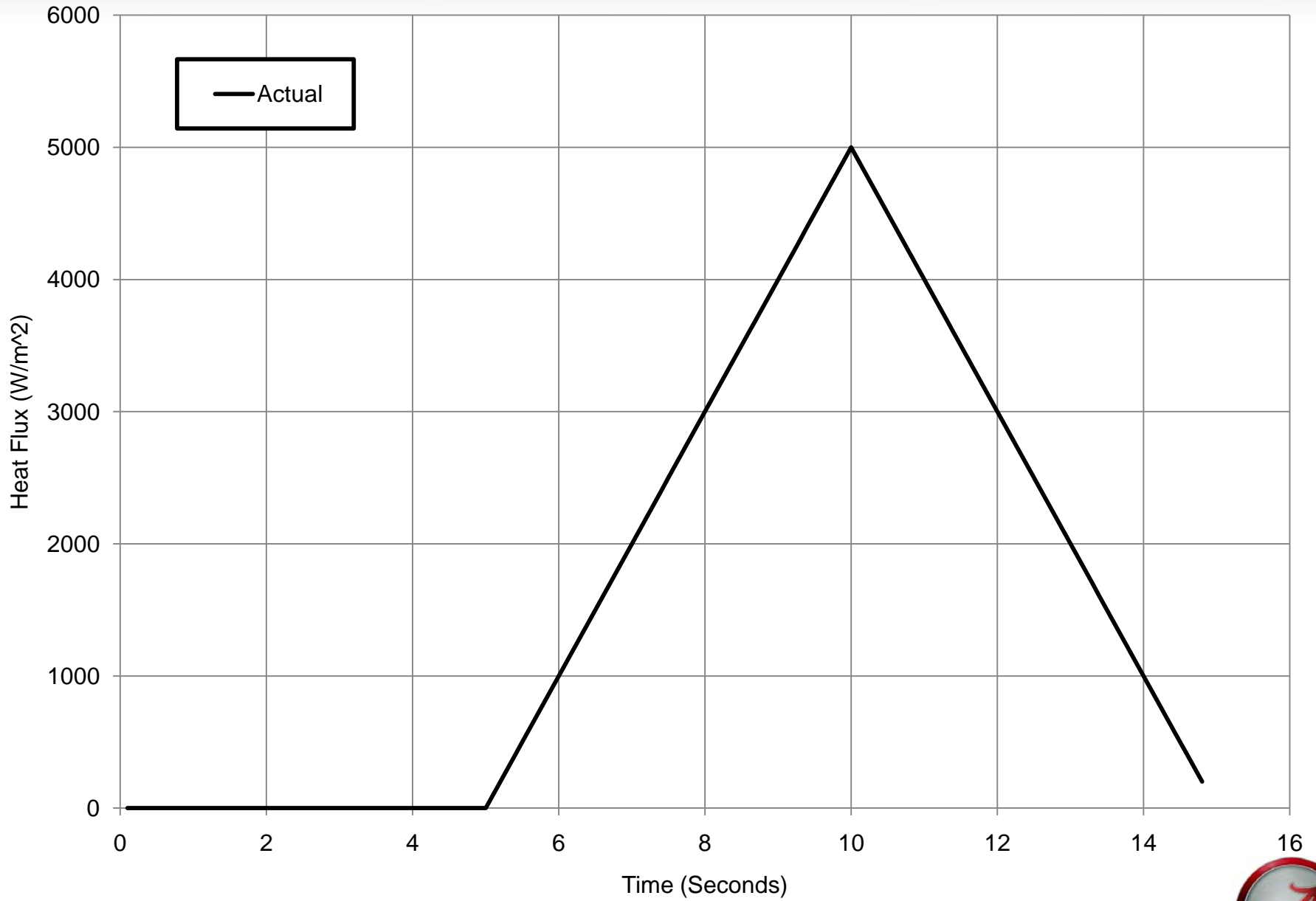


# Test Case: Triangular Heat Flux

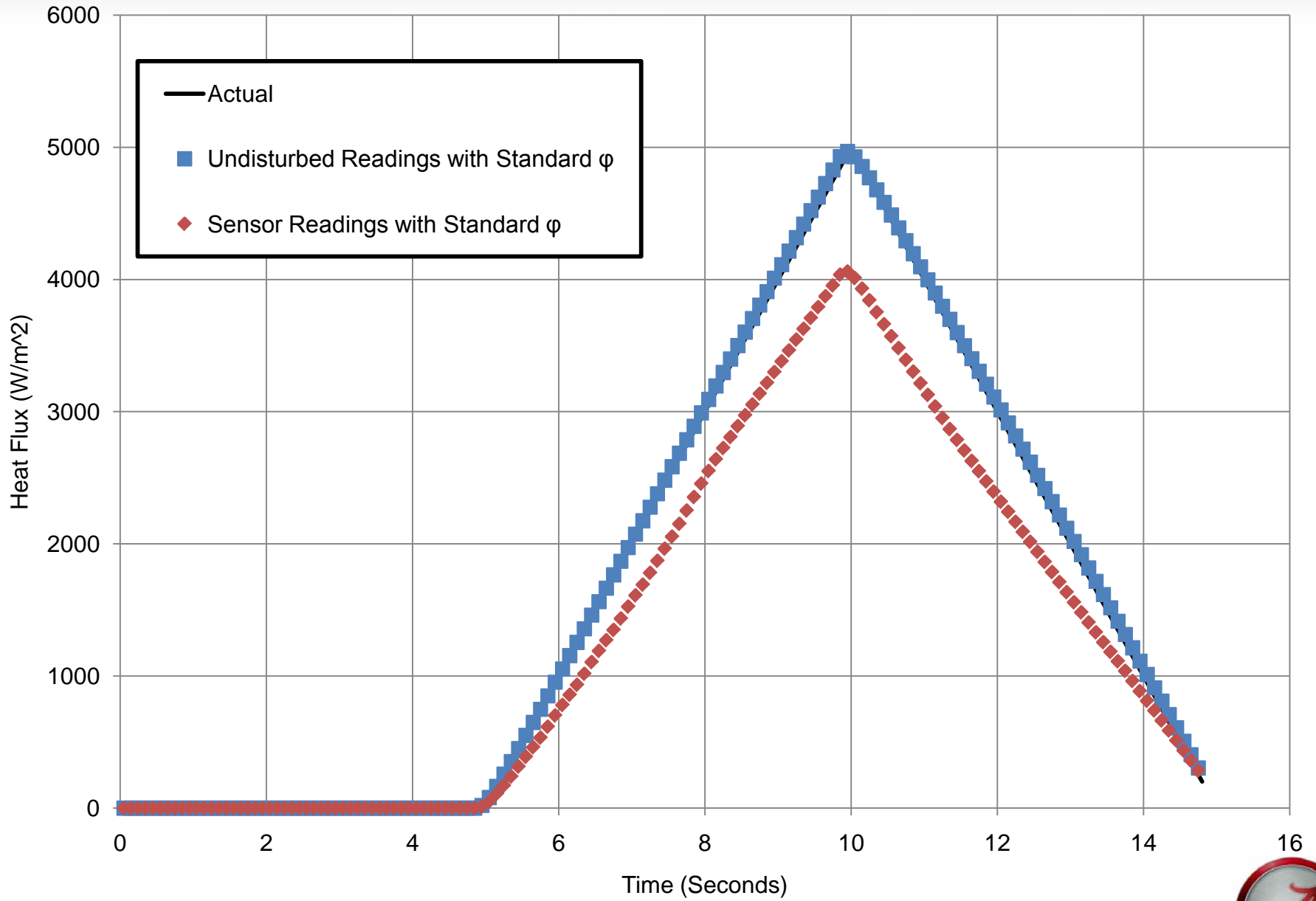
- Applied a triangular heat flux
- Ran case through forward solver (Fluent)
- Applied Beck's Method
  - Using “standard” sensitivity coefficients from constant heat flux case
  - Superposition/convolution



# Triangular Heat Flux Case



# Triangular Heat Flux Case

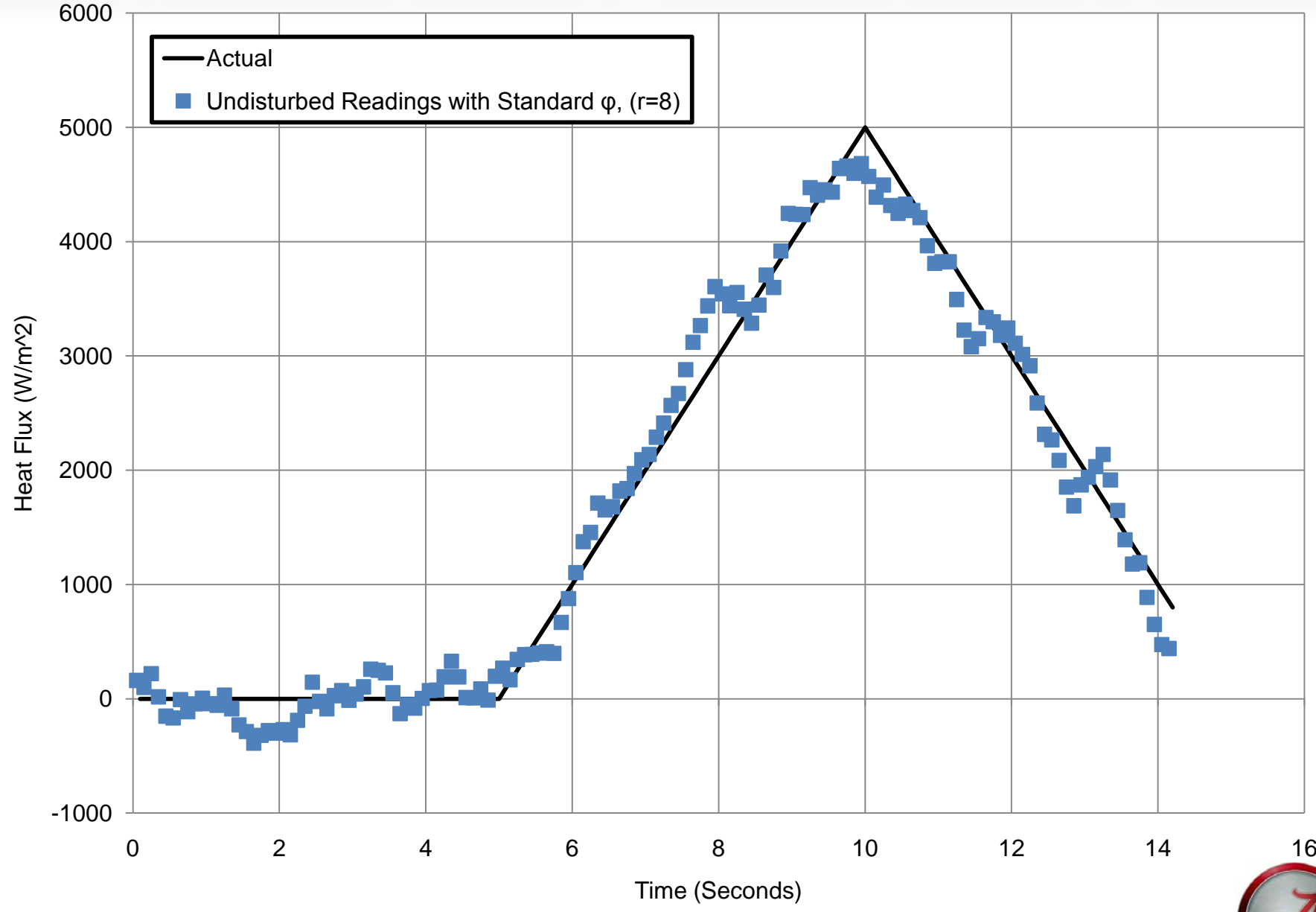


# Triangular Heat Flux Case – Noise Considerations

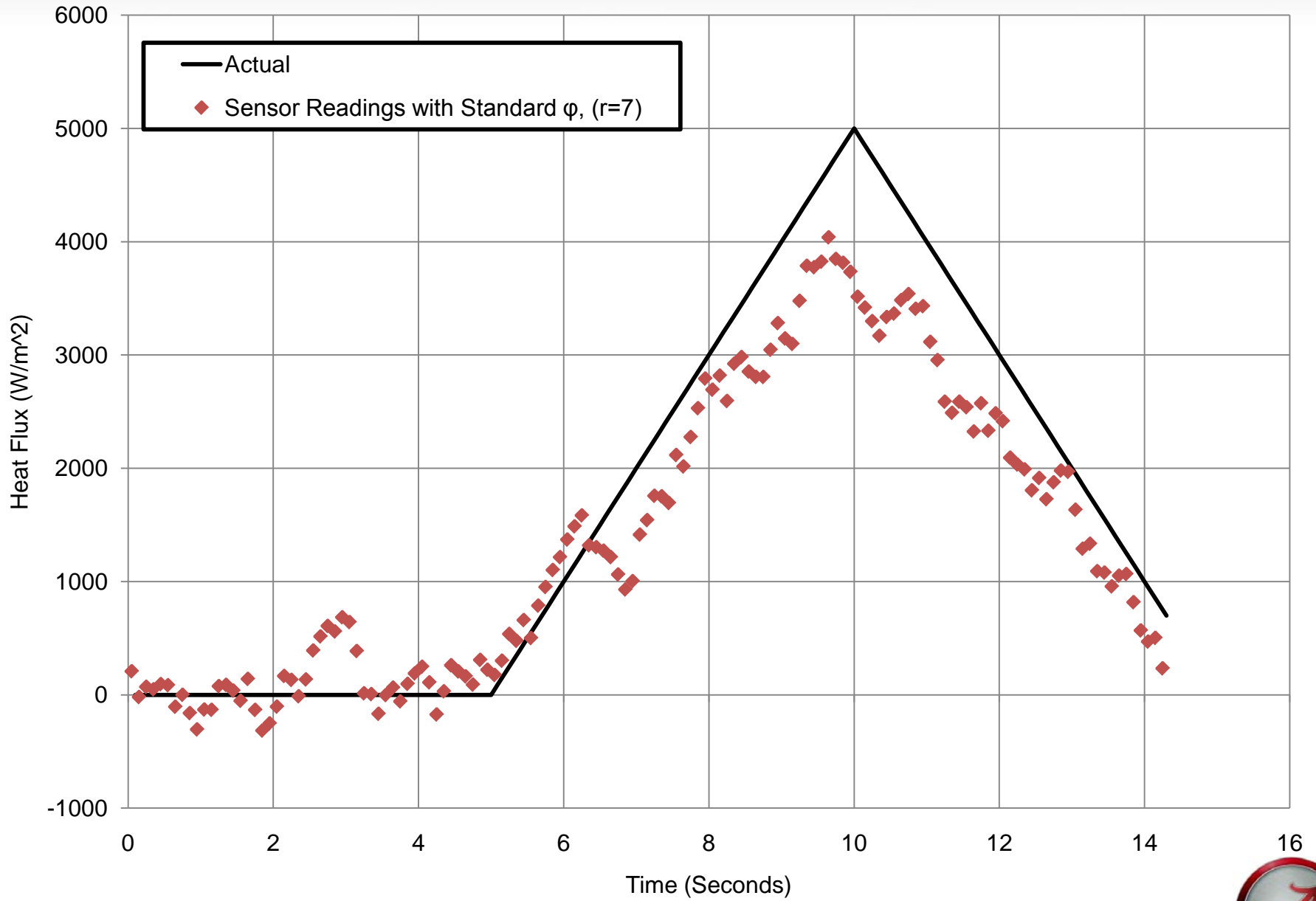
- What if there was noise due to measurement sensitivity?
  - Add  $\pm 0.5^{\circ}\text{C}$  of random noise



Triangular Heat Flux Case with Noise ( $\pm 0.5^\circ\text{C}$ )



Triangular Heat Flux Case with Noise ( $\pm 0.5^\circ\text{C}$ )



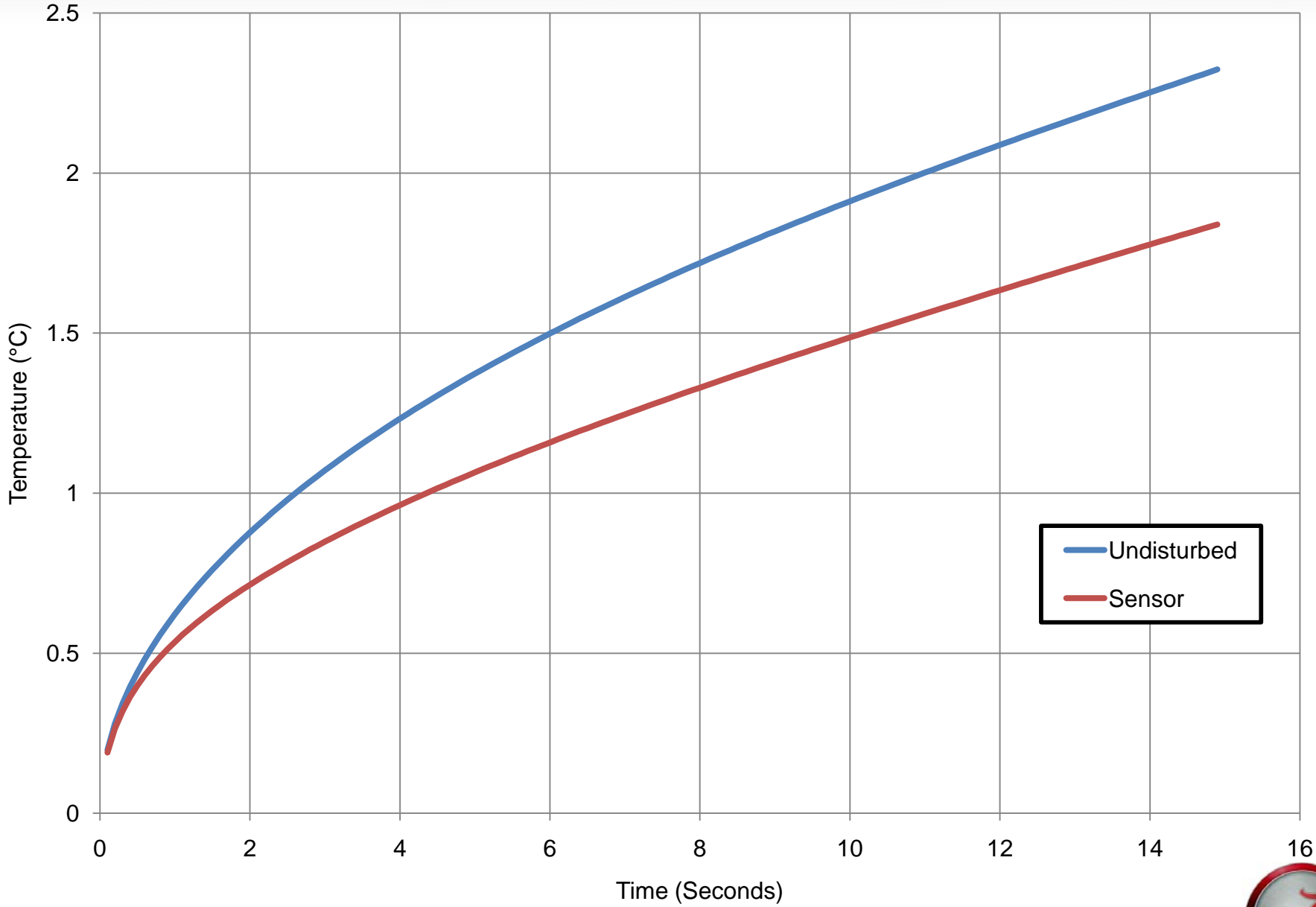


# Use Sensor “ $\phi$ ” to get Improvement

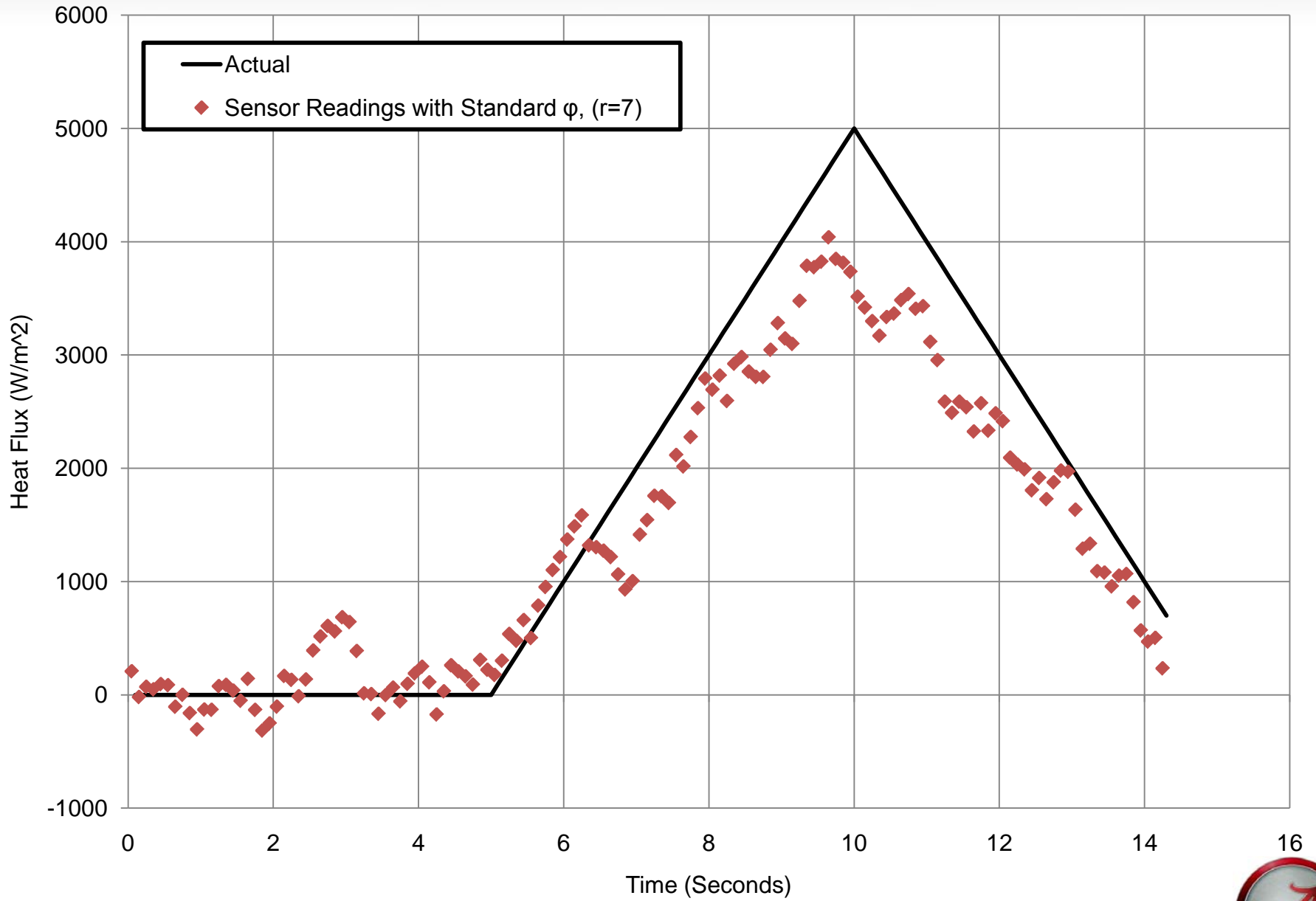
- With Beck’s method, we can use sensitivity coefficients that incorporate the *sensor dynamics* to get a corrected heat flux directly
- Use results from  $q_m = \text{constant}$  to compute the sensitivity coefficients for the sensor



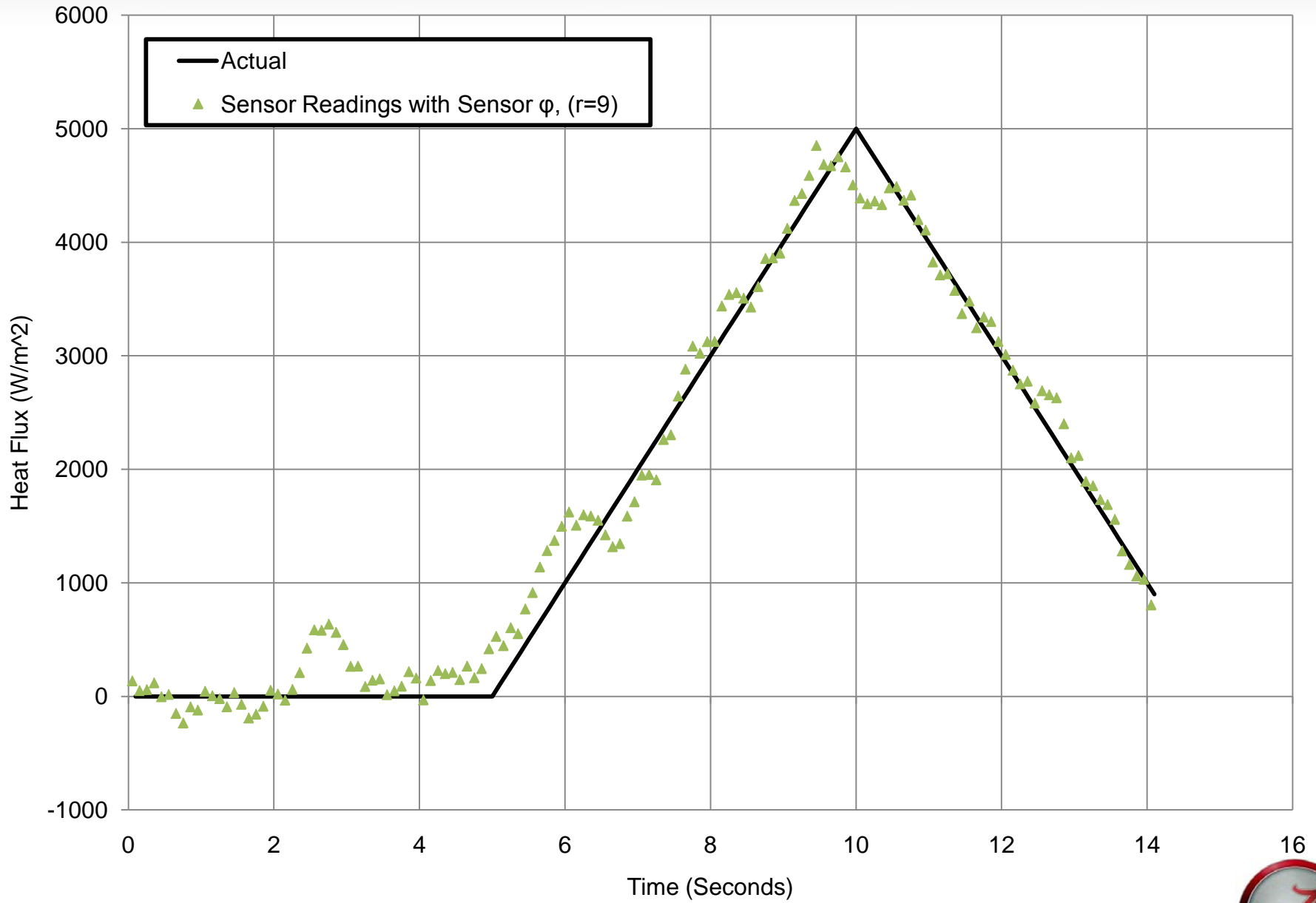
# Sensitivity Coefficients



Triangular Heat Flux Case with Noise ( $\pm 0.5^\circ\text{C}$ )



Triangular Heat Flux Case with Noise ( $\pm 0.5^\circ\text{C}$ )



# Conclusions

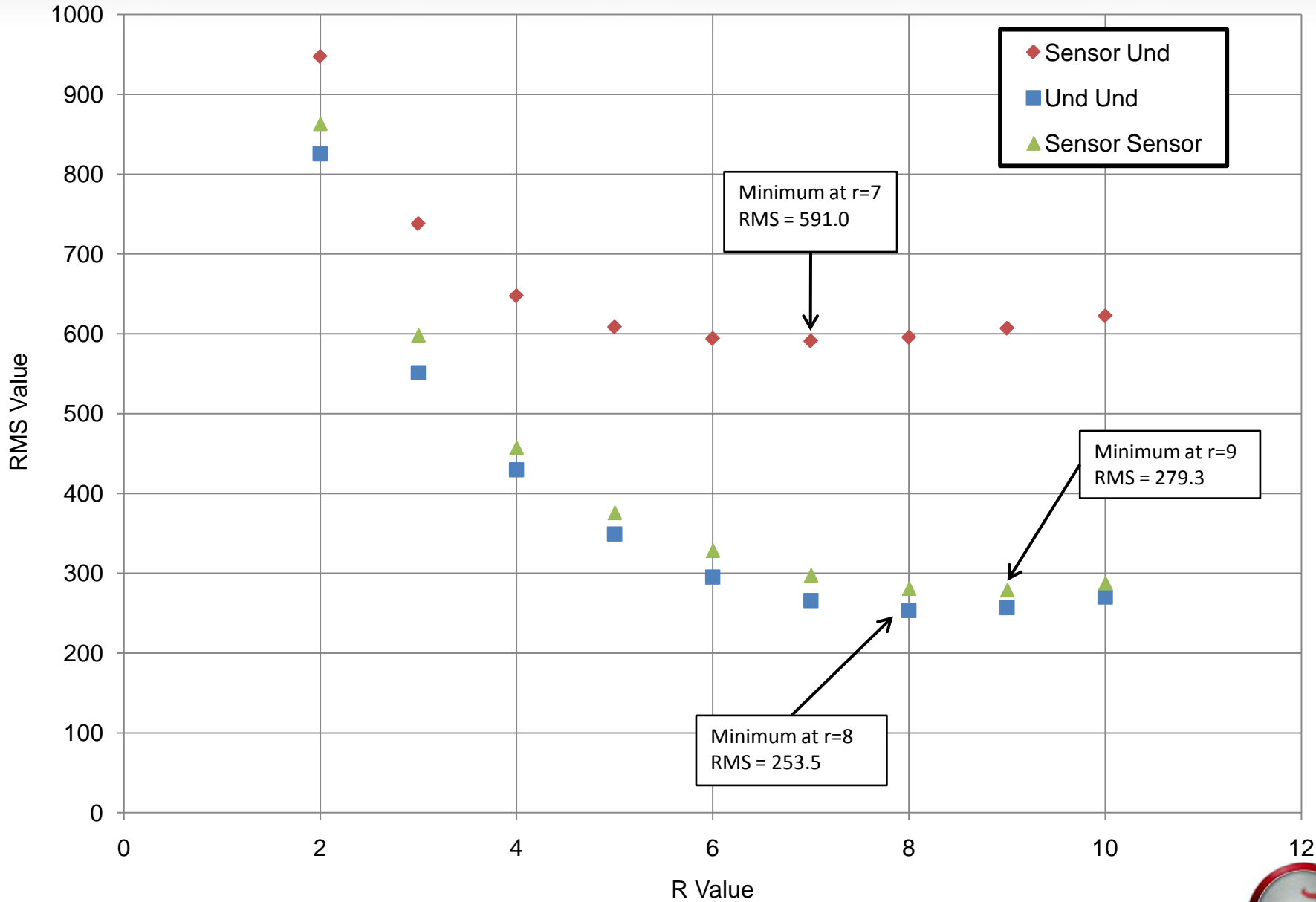
- Presence of temperature sensors disturb the temperature field
  - Results in temperature measurement bias
- Measured (biased) temperature data in the IHCP result in large ( $\sim 20\%$ ) errors in heat flux
- Sensitivity coefficients that incorporate sensor dynamics directly yield “corrected” values of heat flux



# Questions



RMS Values for Triangular Heat Flux Case with Noise



Calculated Heat Flux (Constant Heat Flux)

